

- T\_1: {a, b, c, d, e, f, g}
- T\_2: {d, f, g}
- T\_3: {a, b, d, g}
- T\_4: {a, d, g}
- T\_5: {f, g}
- T\_6: {e, f, g}
- T\_7: {e, g}

102

Example for Dependency (50% as threshold)

{ag}

$P(a|g) = \text{count}(ag)/\text{count}(g) = 3/7$

$P(g|a) = \text{count}(ag)/\text{count}(a) = 3/3$

a->g, but not g->a

{ab}

$P(a|b) = 2/2$

$P(b|a) = 2/3$

a -> b, and b->a, (ab) is not frequent

108

Patterns Count

a	3
b	2
c	1
d	3
e	3
f	4
g	7

104

Patterns

Count

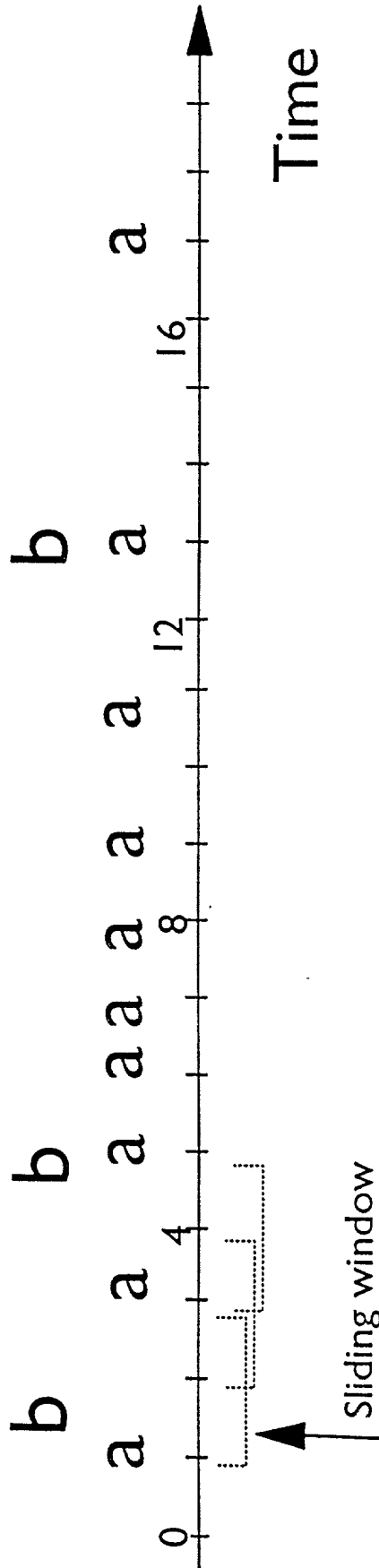
a b	2
a d	3
a e	1
a f	1
a g	3
.....	

106

FIG. 1

d d d

c c



Time

Patterns Count

a	10
b	3
c	2
d	3

204

Patterns Count

ab	3
ac	2
dc	2
...	

206

minsup = 3; minp = 0.6

{ab} is frequent, but not m-pattern

$$P(a|b) = \text{count}(ab)/\text{count}(b) = 1;$$

$$P(b|a) = 3/10$$

{dc} is m-pattern, but not frequent

$$P(d|c) = 2/3; P(c|d) = 1;$$

FIG. 2

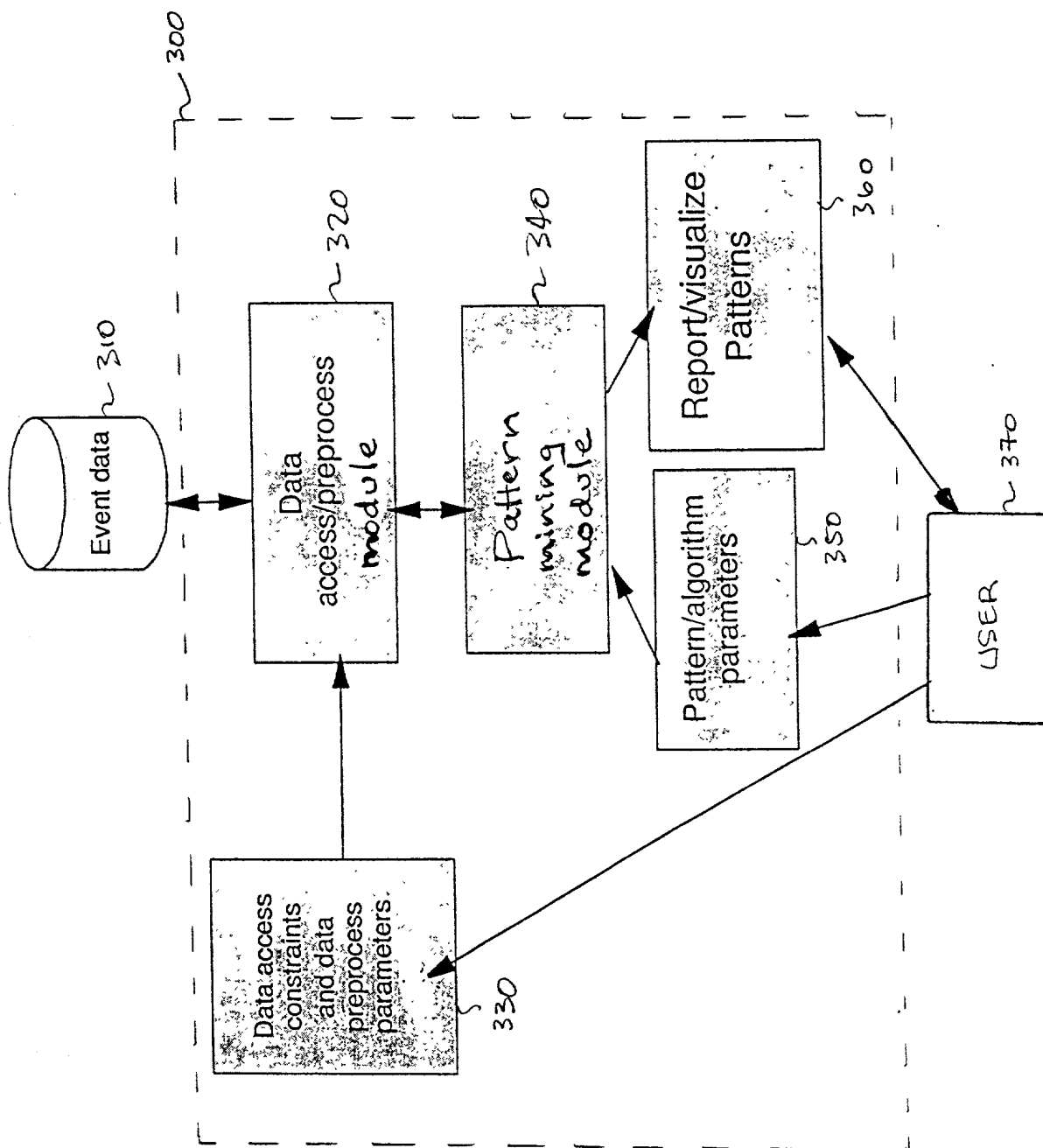


FIG. 3

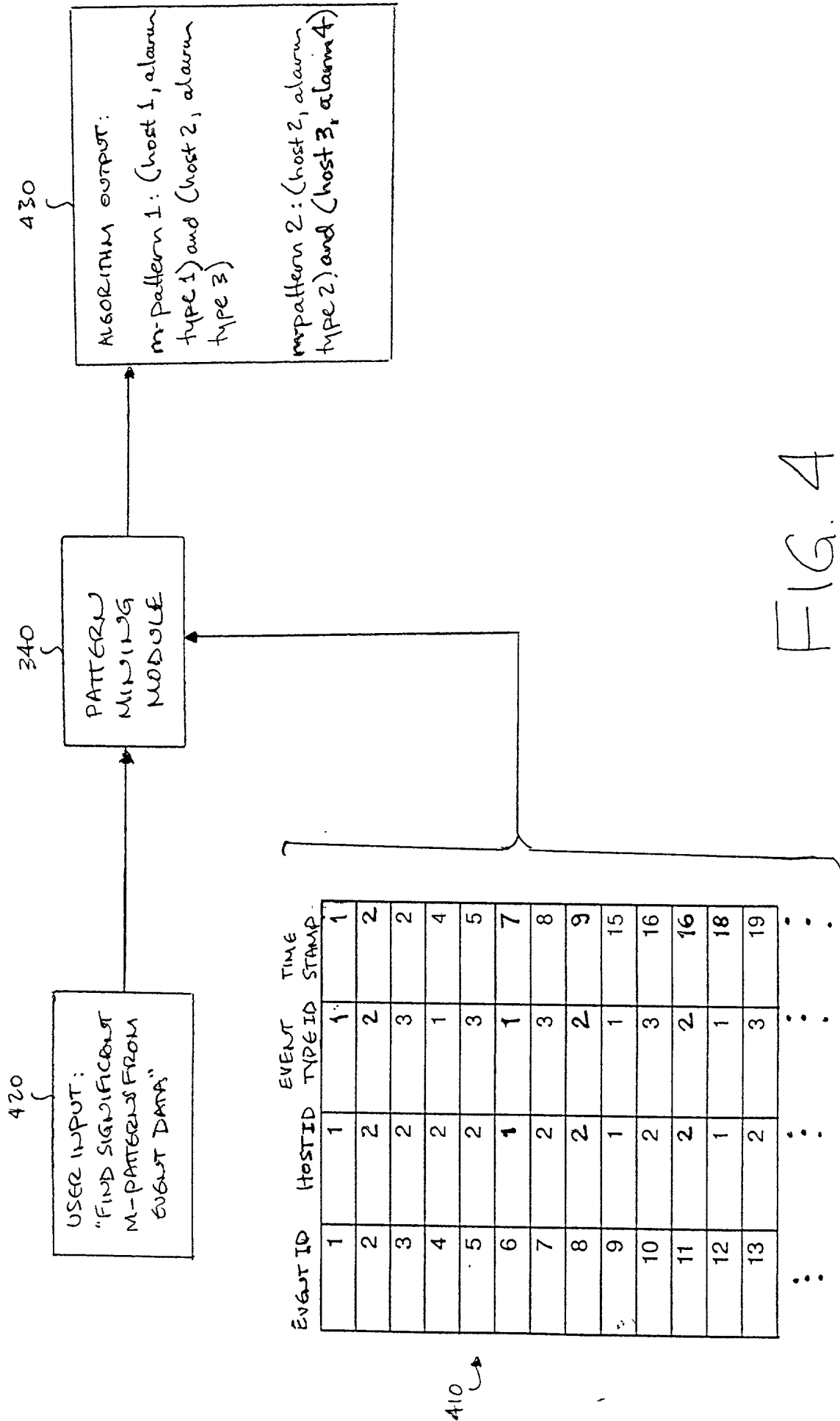
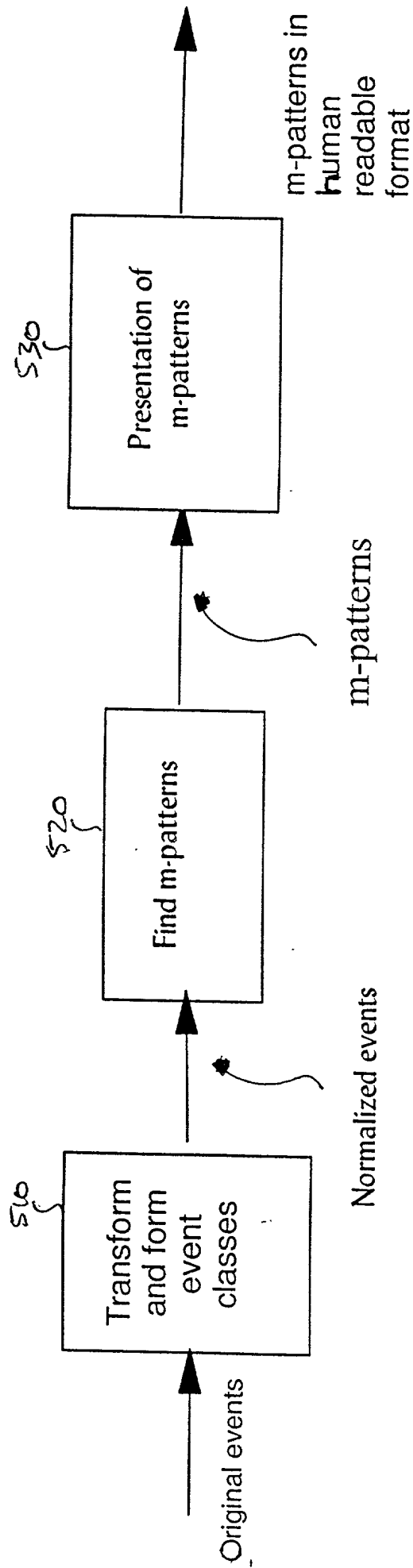


FIG. 4

500 ~



510  
402920000679051

FIG. 5

Event ID	Event type ID	Host ID	Time stamp
1	1	1	1
2	2	2	2
3	1	1	4
4	1	1	7
5	2	2	9
6	1	1	15
7	2	2	16
8	1	1	18
9	1	3	19
10	2	1	21
11	2	2	23
12	2	2	25
13	1	1	30

610 ↗

step 510 ↗

{Event type ID, host ID}	Event class
{1, 1}	1
{1, 3}	2
{2, 1}	1
{2, 2}	4

↖ 620

Table: original events

Table: mapping for event class

EVENT ID	EVENT CLASS	TIME STAMP
1	1	1
2	4	2
3	1	4
4	1	7
5	4	9
6	1	15
7	4	16
8	1	18
9	2	19
10	1	21
11	4	23
12	4	25
13	1	30

↖ 630

Table: event after mapping

7/10  
TS0969000220201

FIG. 7

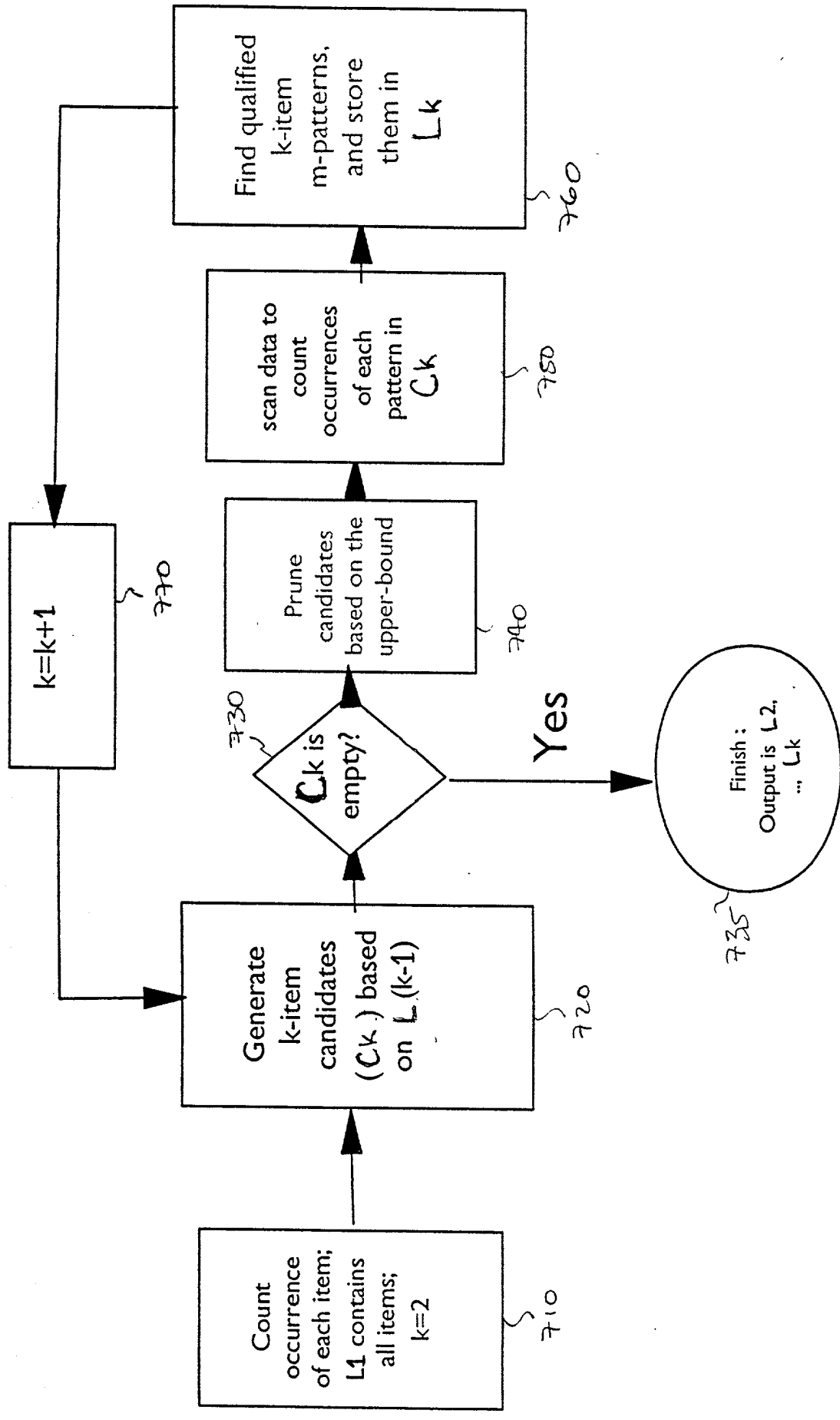


FIG 7

- Input: a set of candidates  $C_k$ , count information at all previous levels, and a threshold  $\min p$
- Output: a set of pruned candidates  $C'_k$
- Algorithm
  - For each pattern  $pat$  in  $C_k$ 
    - For each item  $a$  in  $pat$ 
      - ◆ Compute:  $prob = Count(pat-a)/Count(a)$ ;
      - ◆ if  $prob < \min p$ 
        - $C_k = C_k - pat$
        - break the for-loop
  - Return  $C_k$

FIG. 8A



- Input: pattern  $pat$ , all count information, and a threshold  $minp$
- Output: true if  $pat$  is a qualified m-pattern; otherwise false.
- Algorithm
  - For each  $a$  in  $pat$ 
    - $prob = Count(pat)/Count(a)$
    - if  $prob < minp$ 
      - ◆ return false
  - Return true
- This algorithm is  $O(k)$

FIG. 8B

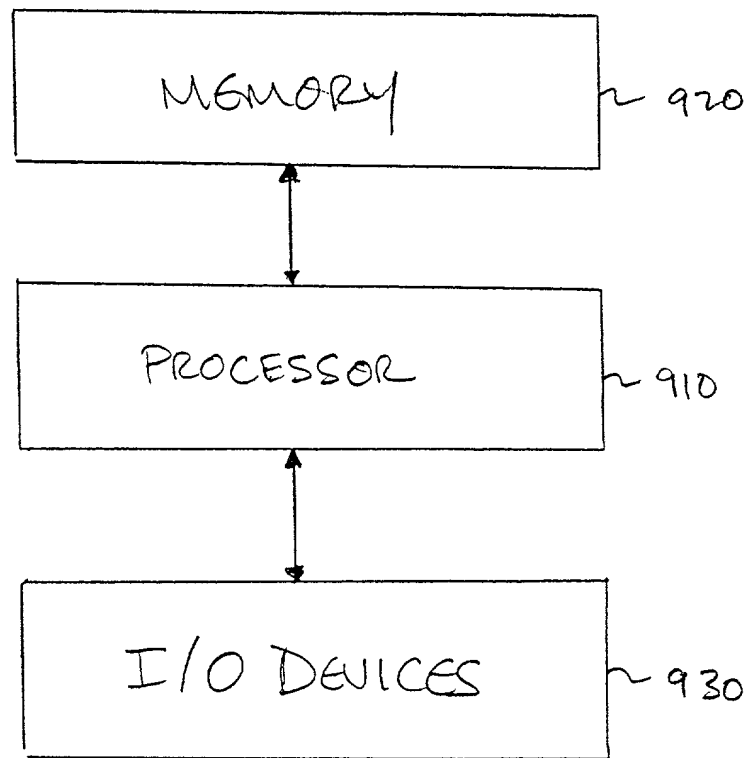


FIG. 9